Previous Year Paper 2022 Shift 2

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## GATE 2022 General Aptitude

## Q. 1 - Q. 5 Carry ONE mark each.

| Q.1 | The movie was funny and I__._. |
| :--- | :--- |
| (A) | could help laughing |
| (B) | couldn't help laughed |
| (C) | couldn't help laughing |
| (D) | could helped laughed |


| Q. 2 | $x: y: z=\frac{1}{2}: \frac{1}{3}: \frac{1}{4}$. |
| :--- | :--- |
| What is the value of $\frac{x+z-y}{y} ?$ |  |
| (A) | 0.75 |
| (B) | 1.25 |
| (C) | 2.25 |
| (D) 3.25 |  |

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| Q. 3 | Both the numerator and the denominator of $\frac{3}{4}$ are increased by a positive <br> integer, $x$, and those of $\frac{15}{17}$ are decreased by the same integer. This operation <br> results in the same value for both the fractions. <br> What is the value of $x ?$ |
| :--- | :--- |
| (A) | 1 |
| (B) | 2 |
| (C) | 3 |
| (D) | 4 |


| Q. 4 | A survey of 450 students about their subjects of interest resulted in the following outcome. <br> - 150 students are interested in Mathematics. <br> - 200 students are interested in Physics. <br> - 175 students are interested in Chemistry. <br> - 50 students are interested in Mathematics and Physics. <br> - 60 students are interested in Physics and Chemistry. <br> - 40 students are interested in Mathematics and Chemistry. <br> - 30 students are interested in Mathematics, Physics and Chemistry. <br> - Remaining students are interested in Humanities. <br> Based on the above information, the number of students interested in Humanities is |
| :---: | :---: |
| (A) | 10 ( 3 |
| (B) | 30 |
| (C) | 40 |
| (D) | 45 |

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## Q. 6 - Q. 10 Carry TWO marks each.

| Q.6 | In the last few years, several new shopping malls were opened in the city. The <br> total number of visitors in the malls is impressive. However, the total revenue <br> generated through sales in the shops in these malls is generally low. <br> Which one of the following is the CORRECT logical inference based on the <br> information in the above passage? |
| ---: | :--- |
| (A) | Fewer people are visiting the malls but spending more |
| (B) | More people are visiting the malls but not spending enough |
| (C) | More people are visiting the malls and spending more |
| (D) | Fewer people are visiting the malls and not spending enough |

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| Q.7 | In a partnership business the monthly investment by three friends for the first <br> six months is in the ratio 3: 4: 5. After six months, they had to increase their <br> monthly investments by $10 \%, 15 \%$ and $20 \%$, respectively, of their initial <br> monthly investment. The new investment ratio was kept constant for the next <br> six months. <br> What is the ratio of their shares in the total profit (in the same order) at the end <br> of the year such that the share is proportional to their individual total investment <br> over the year? |
| :--- | :--- |
| (A) | $22: 23: 24$ |
| (B) | $22: 33: 50$ |
| (C) | $33: 46: 60$ |
| (D) | $63: 86: 110$ |

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| Q.9 | Given below are two statements and four conclusions drawn based on the <br> statements. <br> Statement 1: Some soaps are clean. <br> Statement 2: All clean objects are wet. |
| :--- | :--- |
| Conclusion I: Some clean objects are soaps. |  |
| Conclusion II: No clean object is a soap. |  |
| Conclusion III: Some wet objects are soaps. |  |
| Conclusion IV: All wet objects are soaps. |  |
| Which one of the following options can be logically inferred? |  |$\quad$| (A) |
| :--- | | Only conclusion I is correct |
| :--- |
| (B) | | Either conclusion I or conclusion II is correct |
| :--- |, | (D) |
| :--- |

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## Q.11-35 Carry ONE mark each.

| Q. 11 | The function $f(x, y)$ satisfies the Laplace equation <br> $\nabla^{2} f(x, y)=0$ |
| :--- | :--- |
| (A)on a circular domain of radius $r=\mathbf{1}$ with its center at point $P$ with coordinates <br> is equal to $\mathbf{3}$. The value of this function on the circular boundary of this domain <br> The numerical value of $f(\mathbf{0}, \mathbf{0})$ is: |  |
| (B) | 0 |
| (C) | 3 |
| (D) | 1 |

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| Q. 12 | $\int\left(x-\frac{x^{2}}{2}+\frac{x^{3}}{3}-\frac{x^{4}}{4}+\cdots\right) \mathrm{d} x$ is equal to |
| :---: | :---: |
| (A) | $\frac{1}{1+x}+\text { Constant }$ |
| (B) | $\frac{1}{1+x^{2}}+\text { Constant }$ |
| (C) | $-\frac{1}{1-x}+\text { Constant }$ |
| (D) | $-\frac{1}{1-x^{2}}+\text { Constant }$ |
| Q. 13 | For a linear elastic and isotropic material, the correct relationship among Young's modulus of elasticity ( $E$ ), Poisson's ratio ( $v$ ), and shear modulus $(G)$ is |
| (A) | $G=\frac{E}{2(1+v)}$ |
| (B) | $G=\frac{E}{(1+2 v)}$ |
| (C) | $E=\frac{G}{2(1+v)}$ |
| (D) | $E=\frac{G}{(1+2 v)}$ |
|  |  |

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$\left.\left.\begin{array}{|l|l|}\hline \text { Q.14 } & \begin{array}{l}\text { Read the following statements relating to flexure of reinforced concrete beams: } \\ \text { I. In over-reinforced sections, the failure strain in concrete reaches earlier than } \\ \text { the yield strain in steel. } \\ \text { II. In under-reinforced sections, steel reaches yielding at a load lower than the } \\ \text { load at which the concrete reaches failure strain. } \\ \text { III. Over-reinforced beams are recommended in practice as compared to the } \\ \text { under-reinforced beams. } \\ \text { IV. In balanced sections, the concrete reaches failure strain earlier than the yield } \\ \text { strain in tensile steel. } \\ \text { Each of the above statements is either True or False. } \\ \text { Which one of the following combinations is correct? }\end{array} \\ \hline \text { (A) } & \text { I (True), II (True), III (False), IV (False) }\end{array} \right\rvert\, \begin{array}{ll}\text { (B) I (True), II (True), III (False), IV (True) } \\ \hline \text { (C) } & \text { I (False), II (False), III (True), IV (False) }\end{array}\right\}$

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| Q.16 | Consider a beam PQ fixed at P , hinged at Q , and subjected to a load $F$ as shown <br> in figure (not drawn to scale). The static and kinematic degrees of <br> indeterminacy, respectively, are |
| :--- | :--- |
| (A) | 2 and 1 |
| (B) | 2 and 0 |
| (C) | 1 and 2 |
| (D) | 2 and 2 |
|  |  |

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| Q.17 | Read the following statements: <br> (P) While designing a shallow footing in sandy soil, monsoon season is <br> considered for critical design in terms of bearing capacity. <br> (Q) For slope stability of an earthen dam, sudden drawdown is never a critical <br> condition. <br> (R) In a sandy sea beach, quicksand condition can arise only if the critical <br> hydraulic gradient exceeds the existing hydraulic gradient. <br> (S) The active earth thrust on a rigid retaining wall supporting homogeneous <br> cohesionless backfill will reduce with the lowering of water table in the <br> backfill. <br> Which one of the following combinations is correct? |
| :--- | :--- |
| (A) | (P)-True, (Q)-False, (R)-False, (S)-False |$|$| (P)-False, (Q)-True, (R)-True, (S)-True |
| :--- |

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| Q.18 | Stresses acting on an infinitesimal soil element are shown in the figure <br> (with $\sigma_{z}>\sigma_{x}$. The major and minor principal stresses are $\sigma_{1}$ and $\sigma_{3}$, <br> respectively. Considering the compressive stresses as positive, which one of the <br> following expressions correctly represents the angle between the major <br> principal stress plane and the horizontal plane? |
| :--- | :--- |
| (A) | $\tan ^{-1}\left(\frac{\tau_{z x}}{\sigma_{1}-\sigma_{x}}\right)$ |
| (B) | $\tan ^{-1\left(\frac{\tau_{z x}}{\sigma_{3}-\sigma_{x}}\right)}$ |
| (C) | $\tan ^{-1\left(\frac{\tau_{z x}}{\sigma_{1}+\sigma_{x}}\right)}$ |

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| Q.20 | In a certain month, the reference crop evapotranspiration at a location is <br> $6 \mathrm{~mm} /$ day. If the crop coefficient and soil coefficient are 1.2 and 0.8 , respectively, <br> the actual evapotranspiration in $\mathrm{mm} /$ day is |
| :--- | :--- |
| (A) | 5.76 |
| (B) | 7.20 |
| (C) | 6.80 |
| (D) | 8.00 |
| Q.21 | $\mathrm{The} \mathrm{dimension} \mathrm{of} \mathrm{dynamic} \mathrm{viscosity} \mathrm{is:}^{\text {(A) }}$ |
| $\mathrm{M} \mathrm{L}^{-1} \mathrm{~T}^{-1}$ |  |
| (B) | $\mathrm{M} \mathrm{L}^{-1} \mathrm{~T}^{-2}$ |
| (C) | $\mathrm{M} \mathrm{L}^{-2} \mathrm{~T}^{-2}$ |
| (D) | $\mathrm{M} \mathrm{L}^{0} \mathrm{~T}^{-1}$ |
|  |  |

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| Q.22 | A process equipment emits $5 \mathrm{~kg} / \mathrm{h}$ of volatile organic compounds (VOCs). If a <br> hood placed over the process equipment captures $95 \%$ of the VOCs, then the <br> fugitive emission in $\mathrm{kg} / \mathrm{h}$ is |
| :--- | :--- |
| (A) | 0.25 |
| (B) | 4.75 |
| (C) | 2.50 |
| (D) | 0.48 |
|  |  |

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| Q.24 | If the magnetic bearing of the Sun at a place at noon is $\mathbf{S} \mathbf{2}^{\circ} \mathbf{E}$, the magnetic <br> declination (in degrees) at that place is |
| :--- | :--- |
| (A) | $2^{\circ} \mathrm{E}$ |
| (B) | $2^{\circ} \mathrm{W}$ |
| (C) | $4^{\circ} \mathrm{E}$ |
| (D) | $4^{\circ} \mathbf{W}$ |
| Q.25 | $\mathbf{P}$ and $\mathbf{Q}$ are two square matrices of the same order. Which of the following <br> statement(s) is/are correct? |
| (A) | If $\mathbf{P}$ and $\mathbf{Q}$ are invertible, then $[\mathbf{P Q}]^{-1}=\mathbf{Q}^{-1} \mathbf{P}^{-1}$. |
| (B) | If $\mathbf{P}$ and $\mathbf{Q}$ are invertible, then $[\mathbf{Q P}]^{-1}=\mathbf{P}^{-1} \mathbf{Q}^{-1}$. |
| (C) | If $\mathbf{P}$ and $\mathbf{Q}$ are invertible, then $[\mathbf{P Q}]^{-1}=\mathbf{P}^{-1} \mathbf{Q}^{-1}$. |
| (D) | If $\mathbf{P}$ and $\mathbf{Q}$ are not invertible, then $[\mathbf{P Q}]^{-1}=\mathbf{Q}^{-1} \mathbf{P}^{-1}$. |
|  |  |

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| Q.26 | In a solid waste handling facility, the moisture contents (MC) of food waste, <br> paper waste, and glass waste were found to be MCf, MCp, and MCg, respectively. <br> Similarly, the energy contents (EC) of plastic waste, food waste, and glass waste <br> were found to be ECpp, ECf, and ECg, respectively. Which of the following <br> statement(s) is/are correct? |
| :--- | :--- |
| (A) | MCf $>\mathrm{MCp}>\mathrm{MCg}$ |
| (B) | ECpp $>\mathrm{ECf}>\mathrm{ECg}$ |
| (C) | MCf $<\mathrm{MCp}<\mathrm{MCg}$ |
| (D) | ECpp <ECf $<\mathrm{ECg}$ |
| Q.27 | To design an optimum municipal solid waste collection route, which of the <br> following is/are NOT desired: |
| (A) | Collection vehicle should not travel twice down the same street in a day. |
| (B) | Waste collection on congested roads should not occur during rush hours in <br> morning or evening. |
| (C) | Collection should occur in the uphill direction. |
| (D) | The last collection point on a route should be as close as possible to the waste <br> disposal facility. |
|  |  |

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| Q. 28 | For a traffic stream, $v$ is the space mean speed, $k$ is the density, $q$ is the flow, $v_{f}$ is the free flow speed, and $k_{j}$ is the jam density. Assume that the speed decreases linearly with density. <br> Which of the following relation(s) is/are correct? |
| :---: | :---: |
| (A) | $q=k_{j} k-\left(\frac{k_{j}}{v_{f}}\right) k^{2}$ |
| (B) | $q=v_{f} k-\left(\frac{v_{f}}{k_{j}}\right) k^{2}$ |
| (C) | $q=v_{f} v-\left(\frac{v_{f}}{k_{j}}\right) v^{2}$ |
| (D) | $q=k_{j} v-\left(\frac{k_{j}}{v_{f}}\right) v^{2}$ |
|  |  |
| Q. 29 | The error in measuring the radius of a 5 cm circular rod was $0.2 \%$. If the cross-sectional area of the rod was calculated using this measurement, then the resulting absolute percentage error in the computed area is $\qquad$ (round off to two decimal places) |
|  |  |
| Q. 30 | The components of pure shear strain in a sheared material are given in the matrix form: $\boldsymbol{\varepsilon}=\left[\begin{array}{cc} 1 & 1 \\ 1 & -1 \end{array}\right]$ <br> Here, $\operatorname{Trace}(\varepsilon)=0$. Given, $P=\operatorname{Trace}\left(\boldsymbol{\varepsilon}^{8}\right)$ and $Q=\operatorname{Trace}\left(\boldsymbol{\varepsilon}^{11}\right)$. <br> The numerical value of $(P+Q)$ is $\qquad$ . (in integer) |

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| Q. 31 | The inside diameter of a sampler tube is $\mathbf{5 0} \mathbf{~ m m}$. The inside diameter of the cutting edge is kept such that the Inside Clearance Ratio (ICR) is $\mathbf{1 . 0} \%$ to minimize the friction on the sample as the sampler tube enters into the soil. <br> The inside diameter (in $\mathbf{m m}$ ) of the cutting edge is $\qquad$ (round off to two decimal places) |
| :---: | :---: |
| Q. 32 | A concentrically loaded isolated square footing of size $\mathbf{2 m \times 2 m}$ carries a concentrated vertical load of $\mathbf{1 0 0 0} \mathbf{~ k N}$. Considering Boussinesq's theory of stress distribution, the maximum depth (in $\mathbf{m}$ ) of the pressure bulb corresponding to $\mathbf{1 0} \%$ of the vertical load intensity will be $\qquad$ (round off to two decimal places) |
| Q. 33 | In a triaxial unconsolidated undrained (UU) test on a saturated clay sample, the cell pressure was 100 kPa . If the deviatoric stress at failure was 150 kPa , then the undrained shear strength of the soil is $\qquad$ kPa . (in integer) |
| Q. 34 | A flood control structure having an expected life of $n$ years is designed by considering a flood of return period $T$ years. When $T=n$, and $n \rightarrow \infty$, the structure's hydrologic risk of failure in percentage is $\qquad$ (round off to one decimal place) |
| Q. 35 | The base length of the runway at the mean sea level (MSL) is $\mathbf{1 5 0 0} \mathbf{~ m}$. If the runway is located at an altitude of $\mathbf{3 0 0} \mathbf{~ m}$ above the MSL, the actual length (in $\mathbf{m}$ ) of the runway to be provided is $\qquad$ . (round off to the nearest integer) |

## Q. 36-65 Carry TWO marks each.

| Q.36 | Consider the polynomial $f(x)=x^{3}-6 x^{2}+11 x-6$ on the domain $S$ <br> given by $1 \leq x \leq 3$. The first and second derivatives are $f^{\prime}(x)$ and $f^{\prime \prime}(x)$. <br> Consider the following statements: <br> I. The given polynomial is zero at the boundary points $x=1$ and $x=3$. <br> II. There exists one local maxima of $f(x)$ within the domain $S$. <br> III. The second derivative $f^{\prime \prime}(x)>0$ throughout the domain $S$. <br> IV. There exists one local minima of $f(x)$ within the domain $S$. <br> The correct option is: |
| :--- | :--- |
| (A) | Only statements I, II and III are correct. |$\quad$| Only statements I, II and IV are correct. |
| :--- |
| (B) |
| Only statements I and IV are correct. |
| (D) |
| Only statements II and IV are correct. |

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| Q.37 | An undamped spring-mass system with mass $m$ and spring stiffness $k$ is shown <br> in the figure. The natural frequency and natural period of this system are $\omega$ rad $/ \mathrm{s}$ <br> and $T \mathrm{~s}$, respectively. If the stiffness of the spring is doubled and the mass is <br> halved, then the natural frequency and the natural period of the modified <br> system, respectively, are |
| :--- | :--- |
| (A) | $2 \omega \mathrm{rad} / \mathrm{s}$ and $T / 2 \mathrm{~s}$ |
| (B) | $\omega / 2 \mathrm{rad} / \mathrm{s}$ and $2 T \mathrm{~s}$ |
| (C) | $4 \omega \mathrm{rad} / \mathrm{s}$ and $T / 4 \mathrm{~s}$ |
| (D) | $\omega \mathrm{rad} / \mathrm{s}$ and $T \mathrm{~s}$ |
|  |  |

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| Q.38 | For the square steel beam cross-section shown in the figure, the shape factor about |
| :--- | :--- |
| $Z-Z$ axis is $S$ and the plastic moment capacity is $M_{P}$. Consider yield stress |  |
| $f_{y}=\mathbf{2 5 0} \mathbf{~ M P a}$ and $a=\mathbf{1 0 0} \mathbf{~ m m}$. |  |
| (A) | $S=2.0, M_{P}=58.9 \mathrm{kN}-\mathrm{m}$ |
| (B) | $S=2.0, M_{P}=100.2 \mathrm{kN}-\mathrm{m}$ |
| (C) | $S=1.5, M_{P}=58.9 \mathrm{kN-m}$ |
| (D) | $S=1.5, M_{P}=100.2 \mathrm{kN}-\mathrm{m}$ |

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| Q.39 | A post-tensioned concrete member of span 15 m and cross-section of <br> $450 \mathrm{~mm} \times 450 \mathrm{~mm}$ is prestressed with three steel tendons, each of <br> cross-sectional area 200 $\mathrm{mm}^{2}$. The tendons are tensioned one after another <br> to a stress of 1500 MPa . All the tendons are straight and located at 125 mm <br> from the bottom of the member. Assume the prestress to be the same in all <br> tendons and the modular ratio to be 6. The average loss of prestress, due to <br> elastic deformation of concrete, considering all three tendons is |
| :--- | :--- |
| (A) | 14.16 MPa |
| (B) | 7.08 MPa |
| (C) | 28.32 MPa |
| (D) | 42.48 MPa |
|  |  |

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| Q.41 | A soil sample is underlying a water column of height $h_{1}$, as shown in the figure. <br> The vertical effective stresses at points $\mathrm{A}, \mathrm{B}$, and C are $\sigma_{\mathrm{A}}^{\prime}, \sigma_{\mathrm{B}}^{\prime}$, and $\sigma_{\mathrm{C}}^{\prime}$, <br> respectively. Let $\gamma_{\text {sat }}$ and $\gamma^{\prime}$ be the saturated and submerged unit weights of the <br> soil sample, respectively, and $\gamma_{\mathrm{w}}$ be the unit weight of water. Which one of the <br> following expressions correctly represents the sum $\left(\sigma_{\mathrm{A}}^{\prime}+\sigma_{\mathrm{B}}^{\prime}+\sigma_{\mathrm{C}}^{\prime}\right)$ ? |
| :--- | :--- |
| (A) | $\left(2 h_{2}+h_{3}\right) \gamma^{\prime}$ |
| (B) | $\left(h_{1}+h_{2}+h_{3}\right) \gamma^{\prime}$ |
| (C) | $\left(h_{2}+h_{3}\right)\left(\gamma_{\mathrm{sat}}-\gamma_{\mathrm{w}}\right)$ |
| (D) |  |

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| Q. 42 | A 100 mg of $\mathrm{HNO}_{3}$ (strong acid) is added to water, bringing the final volume to 1.0 liter. Consider the atomic weights of $\mathrm{H}, \mathrm{N}$, and O , as $1 \mathrm{~g} / \mathrm{mol}, 14 \mathrm{~g} / \mathrm{mol}$, and $16 \mathrm{~g} / \mathrm{mol}$, respectively. The final pH of this water is (Ignore the dissociation of water.) |
| :---: | :---: |
| (A) | 2.8 |
| (B) | 6.5 |
| (C) | 3.8 |
| (D) | 8.5 |
| Q. 43 | In a city, the chemical formula of biodegradable fraction of municipal solid waste (MSW) is $\mathrm{C}_{100} \mathrm{H}_{250} \mathrm{O}_{80} \mathrm{~N}$. The waste has to be treated by forced-aeration composting process for which air requirement has to be estimated. <br> Assume oxygen in air $($ by weight $)=\mathbf{2 3} \%$, and density of air $=\mathbf{1 . 3} \mathbf{~ k g} / \mathbf{m}^{3}$. Atomic mass: $\mathrm{C}=12, \mathrm{H}=1, \mathrm{O}=16, \mathrm{~N}=14$. <br> C and H are oxidized completely whereas N is converted only into $\mathrm{NH}_{3}$ during oxidation. <br> For oxidative degradation of $\mathbf{1}$ tonne of the waste, the required theoretical volume of air (in $\mathbf{m}^{\mathbf{3}} / \mathbf{t o n n e )}$ will be (round off to the nearest integer) |
| (A) | 4749 |
| (B) | 8025 |
| (C) | 1418 |
| (D) | 1092 |
|  |  |
|  |  |

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| Q.44 | A single-lane highway has a traffic density of 40 vehicles/km. If the time-mean <br> speed and space-mean speed are 40 kmph and 30 kmph, respectively, the <br> average headway (in seconds) between the vehicles is |
| :--- | :--- |
| (A) | 3.00 |
| (B) | 2.25 |
| (C) | $8.33 \times 10^{-4}$ |
| (D) | $6.25 \times 10^{-4}$ |
| Q.45 | Let $\boldsymbol{y}$ be a non-zero vector of size 2022 <br> statement(s) is/are TRUE? Which of the following |
| (A) | $\boldsymbol{y} \boldsymbol{y}^{T}$ is a symmetric matrix. |
| (B) | $\boldsymbol{y}^{T} \boldsymbol{y}$ is an eigenvalue of $\boldsymbol{y} \boldsymbol{y}^{T}$. |
| (C) | $\boldsymbol{y} \boldsymbol{y}^{T}$ has a rank of 2022. |
| (D) | $\boldsymbol{y} \boldsymbol{y}^{T}$ is invertible. |

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$\left.\begin{array}{|l|l|}\hline \text { Q.46 } & \text { Which of the following statement(s) is/are correct? } \\ \hline \text { (A) } & \begin{array}{l}\text { If a linearly elastic structure is subjected to a set of loads, the partial derivative } \\ \text { of the total strain energy with respect to the deflection at any point is equal to } \\ \text { the load applied at that point. }\end{array} \\ \hline \text { (B) } & \begin{array}{l}\text { If a linearly elastic structure is subjected to a set of loads, the partial derivative } \\ \text { of the total strain energy with respect to the load at any point is equal to the } \\ \text { deflection at that point. }\end{array} \\ \hline \text { (C) } & \begin{array}{l}\text { If a structure is acted upon by two force system } P_{a} \text { and } P_{b}, \text { in equilibrium } \\ \text { separately, the external virtual work done by a system of forces } P_{b} \text { during the } \\ \text { deformations caused by another system of forces } P_{a} \text { is equal to the external } \\ \text { virtual work done by the } P_{a} \text { system during the deformation caused by the } P_{b} \\ \text { system. } \\ \text { (D) }\end{array} \begin{array}{l}\text { In choked condition, } y_{1} \text { increases if the flow is supercritical and decreases if the } \\ \text { flow is subcritical. } \\ \text { (D) } \\ \hline \text { In unchoked condition, } y_{1} \text { remains unaffected when the flow is supercritical or } \\ \text { subcritical. } \\ \text { (Beam is equal to the corresponding deflection of the real beam. }\end{array} \\ \hline \text { Q.47 } & \begin{array}{l}\text { In choked condition, } y_{2} \text { is equal to the critical depth if the flow is supercritical } \\ \text { or subcritical. } \\ \text { (A) } \\ \text { Water is flowing in a horizontal, frictionless, rectangular channel. A smooth } \\ \text { hump is built on the channel floor at a section and its height is gradually increased } \\ \text { to reach choked condition in the channel. The depth of water at this section is } y_{2} \\ \text { and that at its upstream section is } y_{1} . \text { The correct statement(s) for the choked and } \\ \text { unchoked conditions in the channel is/are }\end{array} \\ \hline \text { flow is subcritical. }\end{array}\right\}$

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| Q. 50 | Consider two linearly elastic rods $H I$ and $I J$, each of length $b$, as shown in the figure. The rods are co-linear, and confined between two fixed supports at $H$ and $J$. Both the rods are initially stress free. The coefficient of linear thermal expansion is $\alpha$ for both the rods. The temperature of the rod $I J$ is raised by $\Delta T$, whereas the temperature of rod $H I$ remains unchanged. An external horizontal force $P$ is now applied at node $I$. It is given that $\alpha=\mathbf{1 0}^{-6}{ }^{\circ} \mathrm{C}^{\mathbf{- 1}}, \Delta T=\mathbf{5 0}^{\circ} \mathrm{C}$, $b=\mathbf{2} \mathbf{m}, A E=\mathbf{1 0}^{\mathbf{6}} \mathbf{N}$. The axial rigidities of the rods $H I$ and $I J$ are $2 A E$ and $A E$, respectively. <br> To make the axial force in rod $H I$ equal to zero, the value of the external force $P($ in $\mathbf{N})$ is $\qquad$ . (round off to the nearest integer) |
| :---: | :---: |
|  |  |
| Q. 51 | The linearly elastic planar structure shown in the figure is acted upon by two vertical concentrated forces. The horizontal beams $U V$ and $W X$ are connected with the help of the vertical linear spring with spring constant $k=20 \mathbf{k N} / \mathbf{m}$. The fixed supports are provided at $U$ and $X$. It is given that flexural rigidity $E I=\mathbf{1 0}^{\mathbf{5}} \mathbf{~ k N}-\mathbf{m}^{2}, P=\mathbf{1 0 0} \mathbf{~ k N}$, and $a=\mathbf{5} \mathbf{m}$. Force $Q$ is applied at the center of beam $W X$ such that the force in the spring $V W$ becomes zero. <br> The magnitude of force $Q$ (in $\mathbf{k N}$ ) is $\qquad$ . (round off to the nearest integer) |
|  |  |
|  |  |

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| Q. 52 | A uniform rod $K J$ of weight $w$ shown in the figure rests against a frictionless vertical wall at the point $K$ and a rough horizontal surface at point $J$. It is given that $w=\mathbf{1 0} \mathbf{k N}, a=\mathbf{4} \mathbf{m}$ and $b=\mathbf{3} \mathbf{~ m}$. <br> The minimum coefficient of static friction that is required at the point $J$ to hold the rod in equilibrium is $\qquad$ . (round off to three decimal places) |
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| Q. 53 | The activities of a project are given in the following table along with their durations and dependency. <br> The total float of the activity E (in days) is $\qquad$ . (in integer) |
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| Q. 54 | A group of total $\mathbf{1 6}$ piles are arranged in a square grid format. The center-tocenter spacing $(s)$ between adjacent piles is $\mathbf{3} \mathbf{~ m}$. The diameter $(d)$ and length of embedment of each pile are $\mathbf{1} \mathbf{~ m}$ and $\mathbf{2 0} \mathbf{m}$, respectively. The design capacity of each pile is $\mathbf{1 0 0 0} \mathbf{~ k N}$ in the vertical downward direction. The pile group efficiency $\left(\eta_{g}\right)$ is given by $\eta_{g}=1-\frac{\theta}{90}\left[\frac{(n-1) m+(m-1) n}{m n}\right]$ <br> where $m$ and $n$ are number of rows and columns in the plan grid of pile arrangement, and $\theta=\tan ^{-1}\left(\frac{d}{s}\right)$. <br> The design value of the pile group capacity (in $\mathbf{k N}$ ) in the vertical downward direction is $\qquad$ . (round off to the nearest integer) |
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| Q. 55 | A saturated compressible clay layer of thickness $h$ is sandwiched between two sand layers, as shown in the figure. Initially, the total vertical stress and pore water pressure at point P , which is located at the mid-depth of the clay layer, were 150 kPa and 25 kPa , respectively. Construction of a building caused an additional total vertical stress of 100 kPa at P . When the vertical effective stress at P is 175 kPa , the percentage of consolidation in the clay layer at P is $\qquad$ (in integer) |

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$\left.\begin{array}{|l|l|}\hline \text { Q.56 } & \begin{array}{l}\text { A hydraulic jump takes place in a } 6 \mathrm{~m} \text { wide rectangular channel at a point where } \\ \text { the upstream depth is } 0.5 \mathrm{~m} \text { (just before the jump). If the discharge in the } \\ \text { channel is } 30 \mathrm{~m}^{3} / \mathrm{s} \text { and the energy loss in the jump is } 1.6 \mathrm{~m} \text {, then the Froude } \\ \text { number computed at the end of the jump is } \\ \text { decimal places) } \\ \left.\text { (Consider the acceleration due to gravity as } 10 \mathrm{~m} / \mathrm{s}^{2} .\right)\end{array} \\ \hline \text { Q.57 } & \begin{array}{l}\text { A pump with an effic two }\end{array} \\ \text { irrigating a flat field of area } 108 \text { hectares. The base period and delta for paddy } \\ \text { crop on this field are } 120 \text { days and } 144 \mathrm{~cm}, \text { respectively. Water application } \\ \text { efficiency in the field is } 80 \% \text {. The lowest level of water in the well is } 10 \mathrm{~m} \\ \text { below the ground. The minimum required horse power (h.p.) of the pump is } \\ \text { (round off to two decimal places) }\end{array}\right\}$

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| Q. 60 | A sewage treatment plant receives sewage at a flow rate of $\mathbf{5 0 0 0} \mathbf{m}^{\mathbf{3}} / \mathrm{day}$. The total suspended solids (TSS) concentration in the sewage at the inlet of primary clarifier is $\mathbf{2 0 0} \mathbf{~ m g} / \mathrm{L}$. After the primary treatment, the TSS concentration in sewage is reduced by $60 \%$. The sludge from the primary clarifier contains $2 \%$ solids concentration. Subsequently, the sludge is subjected to gravity thickening process to achieve a solids concentration of $\mathbf{6 \%}$. Assume that the density of sludge, before and after thickening, is $\mathbf{1 0 0 0} \mathbf{~ k g} / \mathrm{m}^{3}$. <br> The daily volume of the thickened sludge (in $\mathbf{m}^{3} /$ day) will be $\qquad$ (round off to the nearest integer) |
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| Q. 61 | A sample of air analyzed at $25^{\circ} \mathrm{C}$ and $\mathbf{1} \mathbf{~ a t m}$ pressure is reported to contain $\mathbf{0 . 0 4} \mathbf{~ p p m}$ of $\mathrm{SO}_{2}$. Atomic mass of $\mathrm{S}=32, \mathrm{O}=\mathbf{1 6}$. <br> The equivalent $\mathrm{SO}_{2}$ concentration (in $\boldsymbol{\mu \mathrm { g }} / \mathbf{m}^{3}$ ) will be $\qquad$ (round off to the nearest integer) |
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| Q. 62 | A parabolic vertical crest curve connects two road segments with grades $+1.0 \%$ and $-2.0 \%$. If a 200 m stopping sight distance is needed for a driver at a height of 1.2 m to avoid an obstacle of height 0.15 m , then the minimum curve length should be $\qquad$ m . (round off to the nearest integer) |
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| Q. 63 | Assuming that traffic on a highway obeys the Greenshields model, the speed of a shockwave between two traffic streams $(\mathrm{P})$ and $(\mathrm{Q})$ as shown in the schematic is $\qquad$ kmph. (in integer) <br> Direction of traffic |
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| Q. 64 | It is given that an aggregate mix has $\mathbf{2 6 0}$ grams of coarse aggregates and $\mathbf{2 4 0}$ grams of fine aggregates. The specific gravities of the coarse and fine aggregates are $\mathbf{2 . 6}$ and $\mathbf{2 . 4}$, respectively. The bulk specific gravity of the mix is 2.3. <br> The percentage air voids in the mix is $\qquad$ . (round off to the nearest integer) |
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| Q. 65 | The lane configuration with lane volumes in vehicles per hour of a four-arm signalized intersection is shown in the figure. There are only two phases: the first phase is for the East-West and the West-East through movements, and the second phase is for the North-South and the South-North through movements. There are no turning movements. Assume that the saturation flow is $\mathbf{1 8 0 0}$ vehicles per hour per lane for each lane and the total lost time for the first and the second phases together is $\mathbf{9}$ seconds. <br> The optimum cycle length (in seconds), as per the Webster's method, is $\qquad$ . (round off to the nearest integer) |
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